

()

3.

3.1

50

가

가

1920

1930

. 3.2 3.3

가

.([1] [2]

.)

가

가

1. T(x)

2.

3.

() 가

- (Cutting-weighing)

가

가 (1cm)

1947

가

가

(Vibroscope)

C.S.I.R.O.

[3]

(

)

(

)

5cm

(a)

Barella

[4]

(b)

. 3.2

(Capacity variation)

가

(bulk)

가

Sliver

(Plunger)

Slit

Huberty

(Duesbery

Bossom) Kusebauch .

Sliver top

- (Measuring-slit system)

Cylinder

Cylinder

Cylinder .

Cylinder Lever (groove) -

top - Graph .

Saco-lowell .

3.2

가 (, Sliver, top)

가

(Capacitance pick-up Sensor)

top .

()

가

Slit

가

Stanbury

[6].

Chamberlain

(Leeds University

Lab.[7]) .

가

(Barella, Onion, Selwood)

(Vieluba .)

가

1. (hairiness)

2. Slit

3.3 가

가 dial

가

○

(Sensor)

$$C = \frac{\epsilon s}{4\pi d} \dots\dots\dots(11)$$

d :

s :

ϵ :

1 Nylon 3.6, Cellulose Acetate 6~8 . ϵ 4.5
 . 1
 ϵ 가

(11) 가 . (

[10]) 가 .
 [11]

가 $\mu \mu$

F(picofarad) $\frac{1}{10}$.
 Sensor

(Micro-capacimeter) 가
 가 dial
 가 .

Micro-capacimeter

가

가

가

8~30mm

[10]

10mm

U 10mm

$f(u)$

$f(u) \div M(u-10mm, u)$

10mm

$f(u)$

() :

2.1

“ ”(density of capacity) 2.2

○

u

δ mm

가

()

가 CV

(Sliver bobbin, top can)

P δ

가

C(S, P) C(S, ∞)

1 : f(u)

$$uf \equiv \bar{f} = \frac{1}{T} \int_0^T f(u) du \dots\dots\dots(12)$$

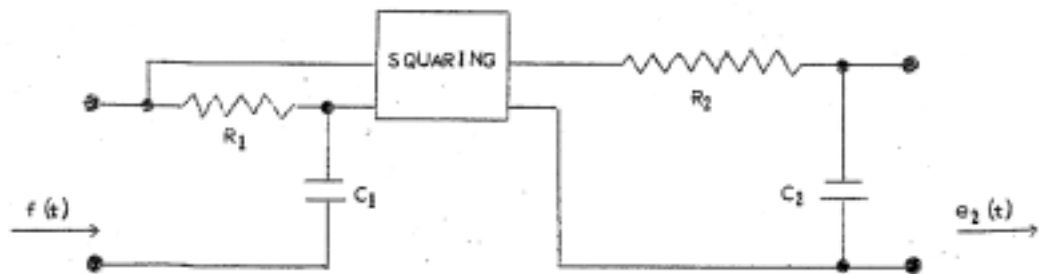
T T → ∞

2 : f(u)- $\bar{f}$

3 :

4 :

$$E^2 = \frac{1}{T} \int_0^T [f(x) - \bar{f}]^2 du (T \rightarrow \infty)$$



$$E^2$$

$$f(u)$$

$$\bar{f}$$

$$e_i(u)$$

$$e_o = \frac{1}{T} \int_0^T e_i(u) du$$

$$\text{“Steep”} \quad (2.2)$$

$$가$$

$$\text{“Smoothed”} \quad (5, B)$$

$$1 \quad 4$$

$$RC$$

$$(\quad - \quad)$$

$$6 \quad 1 \quad R_1 C_1$$

$$1 \quad , \quad \bar{f}$$

$$C_1$$

$$e_1(v)$$

$$f(u)$$

$$e_1(v) = \frac{1}{R_1 C_1} \int_0^v \exp\left[-\frac{v-u}{R_1 C_1}\right] \times f(u) du \dots\dots\dots (13)$$

$$가$$

$$(11)$$

$$(10)$$

$$2.2$$

$$가$$

$$f(u) \quad 1/T$$

$$1 \quad 5RC$$

$$R_1$$

$$f(u)$$

$$e_1(u)$$

2

RC

3

$$F^2(v) = (f(u) - \frac{1}{R_1C_1} \int_0^v \exp[-\frac{v-u}{R_1C_1}] f(u) du)^2$$

$$F^2(v)가 , R_2C_2 \tag{4}$$

$$C_2 \qquad e_2(t)$$

$$e_2(t) = \frac{1}{R_2C_2} \int_0^t \exp[-\frac{t-v}{R_2C_2}] \times F^2(v) dv$$

$$\text{Galvanometer} \quad \text{가} \quad C_2$$

$$t \qquad \text{dial}$$

30

$$e_2(t) \quad 10 \quad 20$$

$$R_2C_2 \qquad T$$

$$E2 = \lim_{T \rightarrow \infty} \frac{1}{T} \int_0^T \exp[-\frac{t-v}{R_2C_2}] \times F_2(v) dv$$

$$E2 = \lim_{T \rightarrow \infty} \frac{1}{T} \int_0^T F^2(v) dv$$

$$가 \quad F^2 \quad |F| \quad 가 \quad . ($$

$$E_2 \qquad \text{fading-memory} \qquad 가$$

