

(9)

-

(2) -

(5)

1)

， ，
·
，
(plot) ，
·
，
·

2)

가 ，
· $\bar{x} - R($)
x ()
· pn ()
p ()
c ()

$\bar{x} - R$

， () ·

, . (grain)

.
 · $\bar{x}$,

· R ,

가 .

x

,

. (lap) .

pn

,

.

(n)가 .

p

, 가

.

c

.

u

c 가 가

.

1yd .

a) $\bar{x} - R$

(- 1)

100 . 4~5

20~25 .

가 ,

.

가 가

.

() 2~6 가 , 4 5 가

.

,

.

(- 2) $\bar{x}$

.

(- 3) R

.

(- 4)

$\bar{x}$ R

, 가 . (- 2)

$\bar{x}$ (- 3) R .

(- 5)

$\bar{x}$, R 20~25 ,

.

· $\bar{x}$

..... CL = $\bar{x}$

..... UCL = $\bar{x} + A_2 \bar{R}$

$$\dots\dots\dots LCL = \bar{\bar{x}} - A_2 \bar{R}$$

· R

$$\dots\dots\dots CL = \bar{\bar{R}}$$

$$\dots\dots\dots UCL = D_4 \bar{R}$$

$$\dots\dots\dots LCL = D_3 \bar{R}$$

, A2, D3, D4

· n 6

R (LCL)

·

(- 6)

CL UCL LCL

·

(- 7)

·

b) pn

(- 1)

1~5

가

20~25

· ,

pn = 1~5

(- 2) p

(p) ·

(- 3)

(- 4)

$$\dots\dots\dots CL = \bar{p}$$

$$\dots\dots\dots UCL = \bar{p} + 3\sqrt{\bar{p}(1-\bar{p})/n}$$

$$\dots\dots\dots LCL = \bar{p} - 3\sqrt{\bar{p}(1-\bar{p})/n}$$

(- 5)

3)

· (central line) , 가

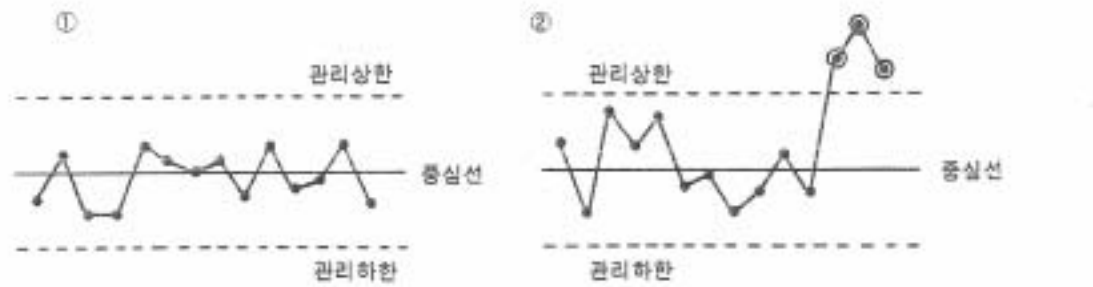
· (control limit)

· , (out of control) ,

· 가

· ,
· ,

·



< 9.7>

“

”

“

”

< (state of control) >

()

,

.

.

가

.

.

.

,

.

a) (run)

.

,

. 7

,

.

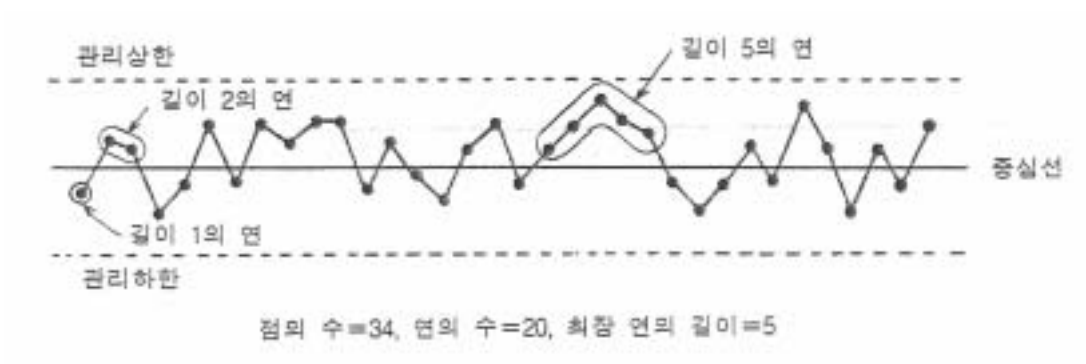
5~6

가

.

,

.



< 9.8>

b) (trend)

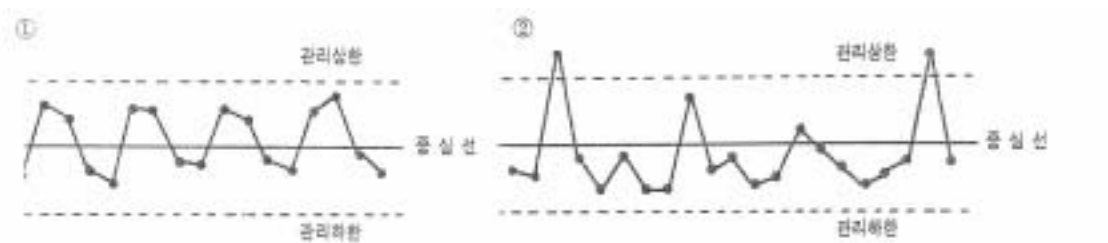
가
 ,
 ,
 ,
 가
 ,
 .



< 9.9>

c) (cycle)

가
 ,
 ,
 ,
 가
 ,
 .



< 9.10>

,
 ,
 ,
 가
 ,
 ,

d)

11	10	,
14	12	,
17	14	,
20	16	,

가 .

가 .

e)

가 ,

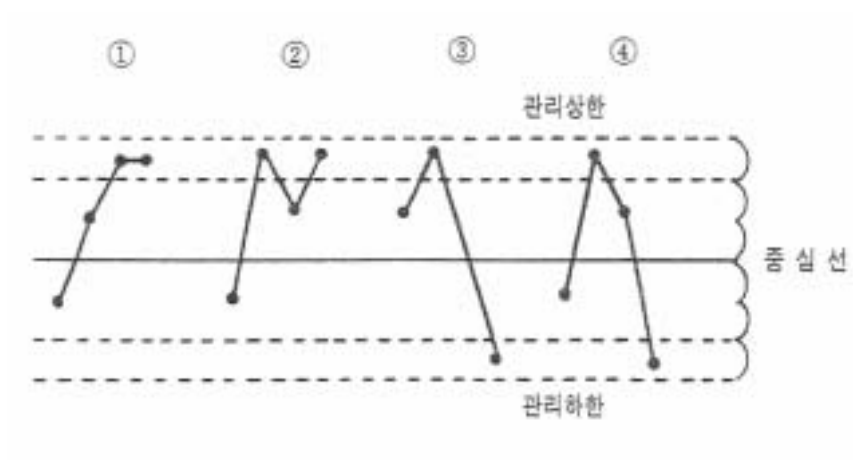
$2/3$

3 2

가

$2/3$

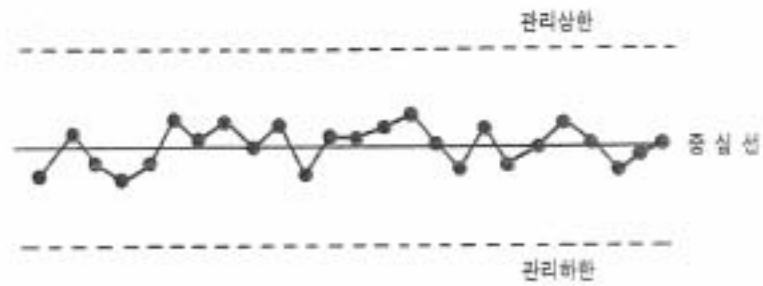
2σ (sigma)



< 9.11 >

f) .
 가 ,
 가 .
 .

, 가 .



< 9.12>

. A .

○, × .

(1) .

(2) 1 1 .

(3) $\bar{x} - R$ 가 .

(4) p_n 가 .

(5) $\bar{x} - R$ $\bar{x}$, R

.

(6) p .

(7)	(run)	.
(8)		.

[] (1) ○

(2) × 1 2 .

(3) ○ $\bar{x} - R$, x 가 .

(4) × pn 가 .

(5) × $\bar{x}$, R

.

(6) ○ p , (size)

.

(7) × ,

.

(8) ×

.	A	.
	()	,
(1)	, (A)	,
	(B)	. 1
(C)	2 (D)	.
[		]
(2)	$\bar{x} - R$	, (A)가
	, $\bar{x}$	(B) , R (C)
	, (D)	.

$$[\quad]$$

(3) 가 (A) ,

(B) .

(C)
(D)

•

$$[\quad]$$
$$[\quad]$$

	A	B	C	D
(1)				
(2)				
(3)				

• A •

○, × .

$$(1) \quad \quad \quad ,$$

•

(2) 가 ,

•

$$(3) \quad \frac{\partial}{\partial t} \left(\frac{1}{\rho} \right) + \frac{\partial}{\partial x} \left(\frac{1}{\rho} u \right) = - \frac{1}{\rho^2} \frac{\partial \rho}{\partial t} - \frac{1}{\rho^2} \frac{\partial \rho u}{\partial x},$$

•

(4)

,

(5) 가 ,

·

- [] (1) × , ·
- (2) × , 가 ,
-
- (3) ○ 가 , 가 ·
- (4) × ,
-
- (5) ○

· B ·

() , ·

(1) , (A) (B)

· (C)

· (D) (E)

·

[]

(2) $\bar{x}$ -R , (A) (B)

· $\bar{x}$ (C) , R (D)

· 가 (E)

[]

(3)

(A) (B)

.

(C)

,

(D)

.

[

]

[]

	A	B	C	D	E
(1)					
(2)					
(3)					

.

A .

A B

,

A ()

B ()

(1) p

$\bar{x} \pm A_2 \bar{R}$

(2) R

$\bar{u} \pm 3\sqrt{\bar{u}/n}$

(3) $\bar{x}$

$\bar{p} \pm 3\sqrt{\bar{p}(1-\bar{p})/n}$

(4) u

$D_4 \bar{R}, D_3 \bar{R}$

[] (1) - (2) - (3) - (4) -

.

B .

$\bar{x}$ -R, p, u

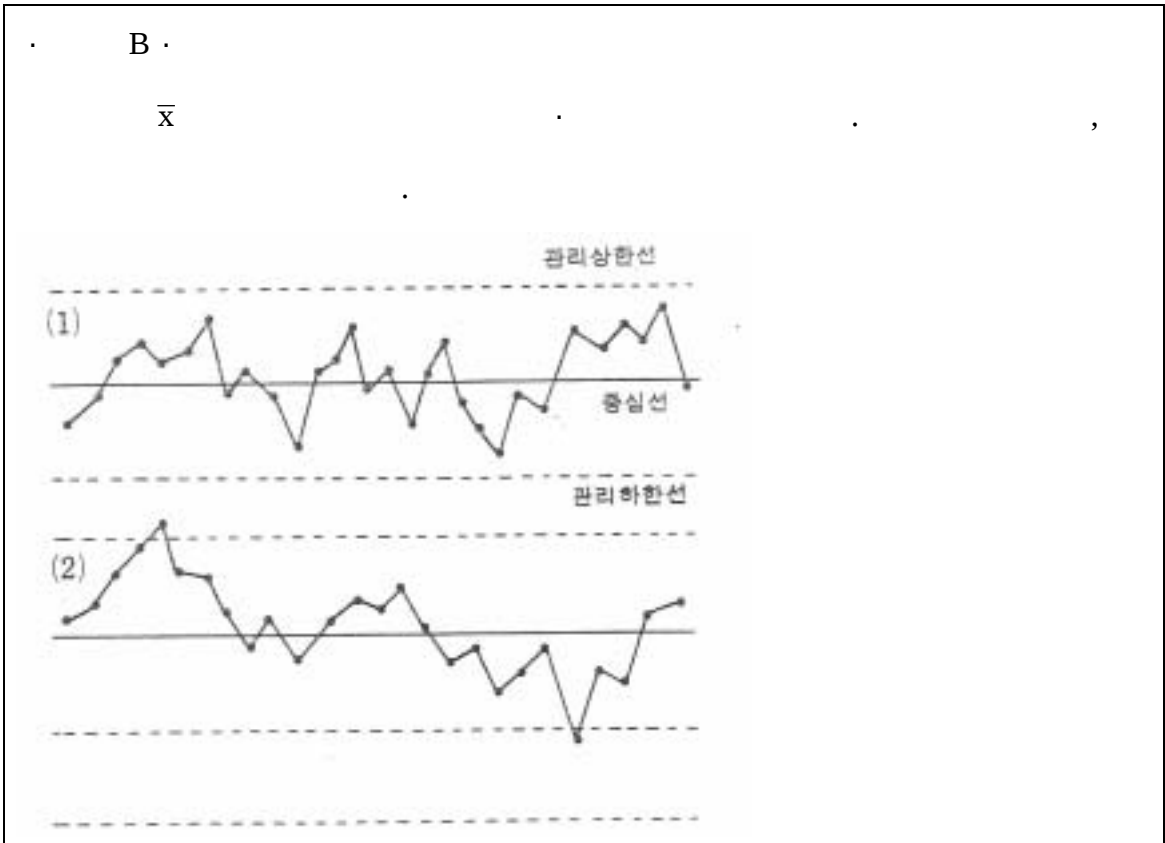
가

	,
(1)	
(2)	
(3)	
(4)	
(5)	1
(6)	1 5
(7)	1m ²

[] $\bar{x}$ -R (1), (2), (4), (6)

p (3)

u (5), (7)



(2) R UCL, LCL .
, $A_2 = 0.729$ $D_4 = 2.282$.

[] (1) $UCL = \bar{x} + A_2 \bar{R} = 180 + 0.729 \times 50 = 216.45(g)$

$LCL = \bar{x} - A_2 \bar{R} = 180 - 0.729 \times 50 = 143.55(g)$

(2) $UCL = D_4 \bar{R} = 2.282 \times 50 = 114.1(g)$

$LCL = n \leq 6$.

· C ·
1 3 . $n = 3$ 1 (25
) , $\bar{x}$ $UCL = 25.65$, $LCL =$
20.15 . $\bar{x}$ $\bar{R}$.
, $A_2 = 1.023$.

[] $\bar{x} = \frac{UCL + LCL}{2} = \frac{25.65 + 20.15}{2} = 22.9$

$A_2 \bar{R} = \frac{UCL - LCL}{2} = \frac{25.65 - 20.15}{2} = 2.75$

$\therefore \bar{R} = \frac{2.75}{A_2} = \frac{2.75}{1.023} = 2.69$

· C ·
 $\bar{x} - R$,
 $\bar{x}$ $UCL = 84.70$, $LCL = 77.00$
R $\bar{R} = 3.76$
. . , $\bar{x} - R$
.

	N	2	3	4	5	6	7	8
	A ₂	1.880	1.880	1.880	1.880	1.880	1.880	1.880

[] $A_2 \bar{R} = \frac{UCL - LCL}{2} = 3.85, \quad \bar{R} = 3.76$

$$A_2 = \frac{3.85}{3.76} = 1.024$$

$$n = 3$$