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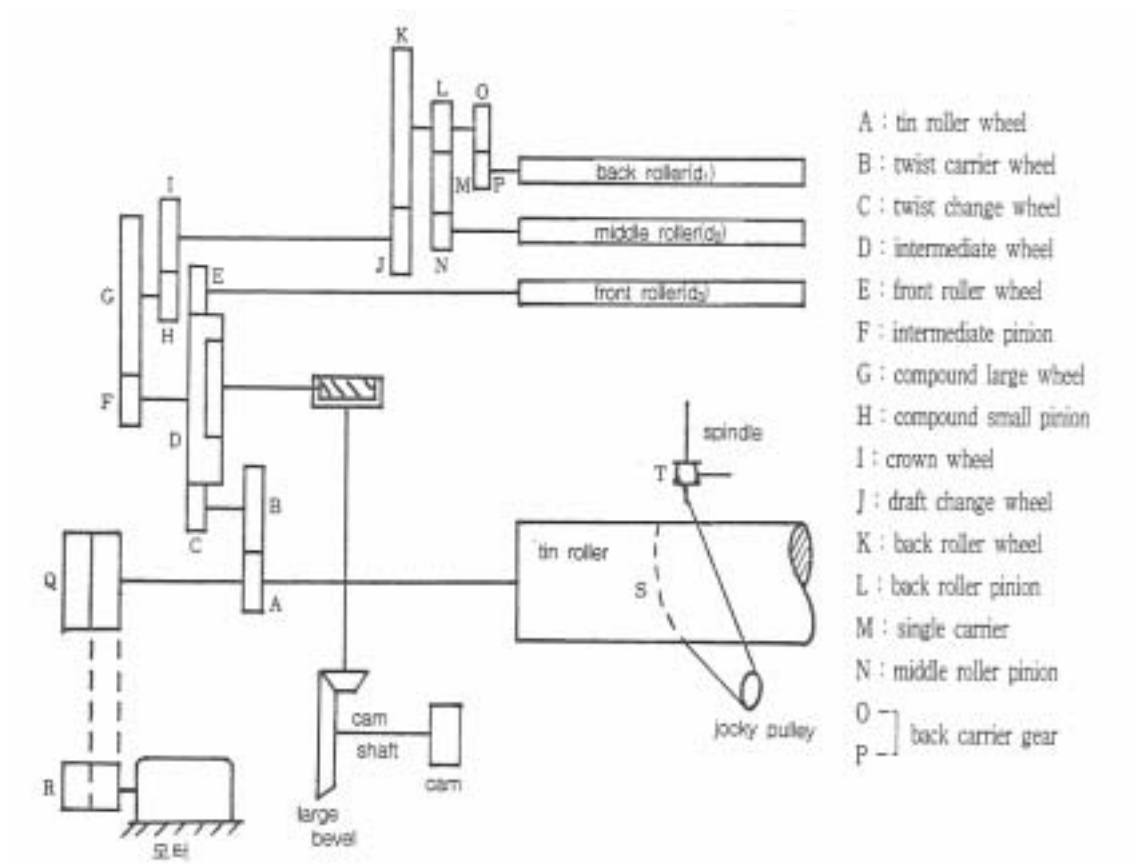
1.3

(1) 各部

(2)

(3)

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(1)

- : N(rpm)
- : R
- frame pulley : Q
-

1) back roller

$$N \times \frac{R \times A \times C \times F \times H \times J \times O}{Q \times B \times D \times G \times I \times K \times P}$$

2) middle roller

$$N \times \frac{R \times A \times C \times F \times H \times J \times L}{Q \times B \times D \times G \times I \times K \times N}$$

3) front roller

$$N \times \frac{R \times A \times C}{Q \times B \times E}$$

4) tin roller

$$N \times \frac{R}{Q}$$

5) spindle

$$N \times \frac{R \times (\quad + \quad)}{Q \times (\quad + \quad)}$$

(2)

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() 가

, . 2가

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1) :

$$= \frac{P \times L \times (d_2 + d_1)}{O \times N \times d_1 \pi}$$

$$= \frac{1}{\text{draft}}$$

[]: .

2) : .

$$= \frac{P \times L \times (d_2 + d_1)}{O \times N \times d_1 \pi}$$

$$= \frac{1}{\text{draft}}$$

3)

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$$= \frac{P \times L \times (d_2 + d_1)}{O \times N \times d_1 \pi} \times 100(\%)$$

· : d_1

· : d_2

· : d_3

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1) back roller middle roller (break draft)

$$\frac{P \times L \times (d_2 + d_1)}{O \times N \times d_1 \pi}$$

2) middle roller front roller (main draft)

$$\frac{N \times K \times I \times G \times D \times d_3 \pi}{L \times J \times H \times F \times E \times (d_2 + \quad) \pi}$$

3) back roller front roller (total draft)

$$\frac{P \times K \times I \times G \times D \times d_3 \pi}{O \times J \times H \times F \times E \times d_1 \pi}$$

draft change wheel(J)

draft

constant(K_1) .

$$\text{total draft} = \frac{K_1}{J}$$

$$\text{total draft} = \frac{\text{draft constant}}{\text{draft change wheel}}$$

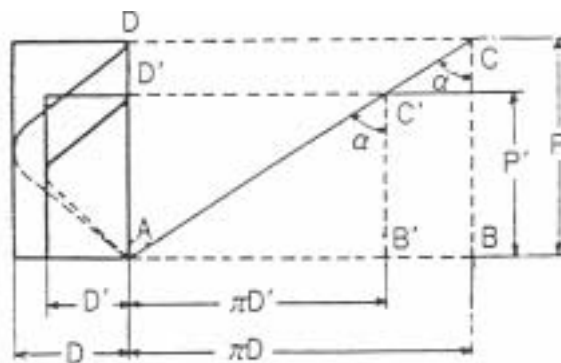
$$\text{draft change wheel} = \frac{\text{draft constant}}{\text{total darft}}$$

(3) < 1.23>

가 (),

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< 1.23>

1)

(1in)

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가

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< 1.13>

1.3 ~ 2.8	3.4	4.0	5.0~5.4

1in

.

$$\text{TPI} = N \times \frac{R \times (S +)}{Q \times (T +)} \div N \times \frac{R \times A \times C \times d_3 \pi}{Q \times B \times E}$$

$$= \frac{E \times B \times (S + \quad)}{C \times A \times (T + \quad)} \times d_3 \pi$$

$$\quad, \quad (C)$$

twist constant(K_2) .

$$TPI = \frac{K_2}{C}$$

$$(TPI) = \frac{\text{twist constant}}{\text{twist change wheel}}$$

$$\text{twist change wheel} = \frac{\text{twist constant}}{\quad}$$

$$(4) \quad (1 \quad)$$

$$1 \quad, 1 \quad 1 \quad.$$

1)

$$\frac{(\text{rpm}) \times 60 \quad \times}{(TPI) \times 36\text{in} \times 840\text{yd} \times} \times \quad (\text{lb/} \quad)$$

2)

$$\frac{\text{rpm} \times \quad (\text{in}) \times \pi \times 60 \quad \times}{36\text{in} \times 840\text{yd} \times} \times \quad (\text{lb/} \quad)$$

3) hank meter

$$\text{————} (\text{lb/} \quad)$$

(5)

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1)

.

$$= \frac{1,000}{120\text{yd}} \quad (\text{gr})$$

· (meter)

$$= \frac{100}{100\text{m}} \quad (\text{g})$$

2)

· (denier)

$$= 90 \times 100\text{m} \quad (\text{g})$$

3)

$$= 5,314.88/$$

$$= 5,314.88/$$

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$$(1) \quad \times \frac{(\quad) + (\quad)}{(\quad) + (\quad)}$$

$$(2) \quad \times \frac{(\quad) - (\quad)}{(\quad) - (\quad)}$$

$$(3) \quad \times \frac{(\quad) + (\quad)}{(\quad) + (\quad)}$$

[] (3)

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() .

1) 1in (1) = $\frac{\text{(rpm)}}{(2) \times (3) \text{ (in)}}$

2) (4) = $\frac{\text{draft constant}}{\text{draft change wheel}}$

3) (5) = $\frac{\text{draft constant}}{\text{total draft}}$

[] (1) , (2) , (3) , (4) total draft
(5) draft change wheel

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가 40 , (constant)가 1,800 draft
change wheel .

[] draft change wheel = $\frac{1,800}{40} = 45$
45T .

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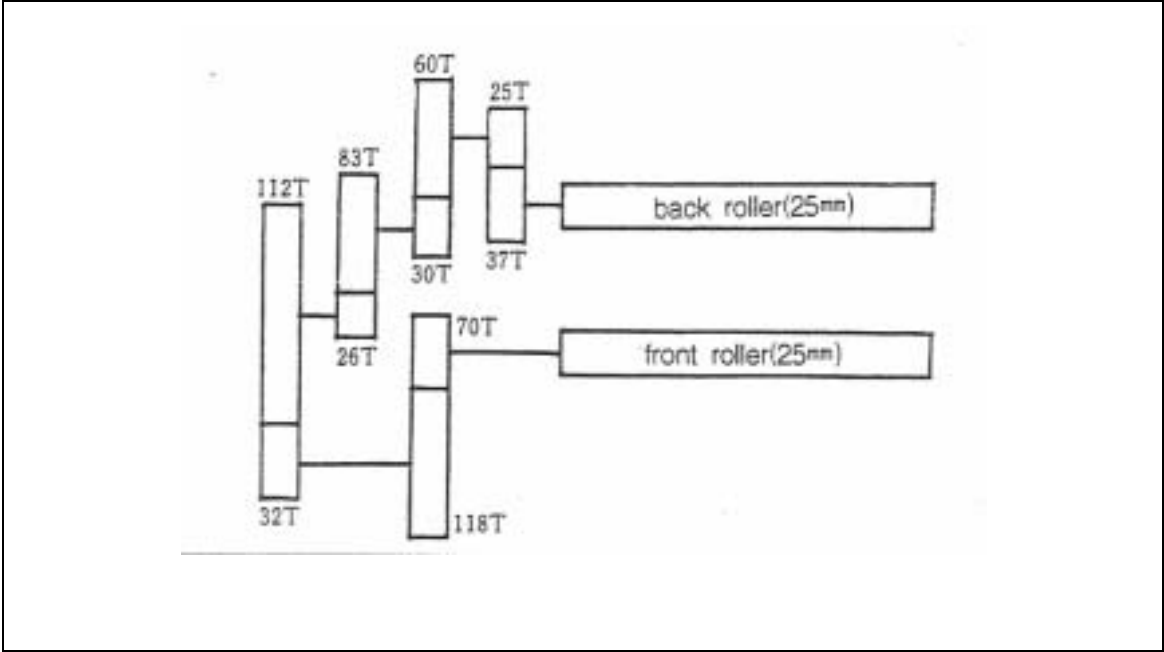
가 1,400rpm ,

, : 254mm, : 23.8mm,

: 0.75mm .

[] = $1,400 \times \frac{(254.0 + 0.75)}{(23.8 + 0.75)} = 14.527(rpm)$

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: 15,000rpm, : 200rpm , 1in

, , 3.142in .

<	B>
: 33.5	80s .

< C>
1 (g)

$$[\quad] 1 = \frac{(\text{rpm}) \times 60 \times}{(\text{tpi}) \times 36 \times 840 \times} \times 453.6 \times$$

< C>

40 , : 15,000rpm, : 24tpi 1
 . , : 24 , : 95% .

$$[\quad] \frac{15.000 \times 60 \times 24}{24 \times 36 \times 840 \times 40} \times 453.6 \times 0.95 = 320.6 (\text{g/ })$$

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() .

$$1) = \frac{(1) \times}{\times (2)}$$

$$2) = \frac{(3) \times}{(4) \times}$$

[] (1) , (2) (3) , (4)

< C>

, .

(1) .

(2) 40s .

(3) 266D .

$$[\quad] (1) = \frac{453.599}{840 \times 0.9144 \times} \times 9,000 = \frac{5,314.95}{}$$

$$(2) \frac{5,314.95}{40} = 132.873(\text{denier})$$

$$(3) \frac{5,314.95}{266} = 19.981$$